

Plasmonic Devices and Spatial Dispersion Effects in Graphene Technology for Terahertz Applications

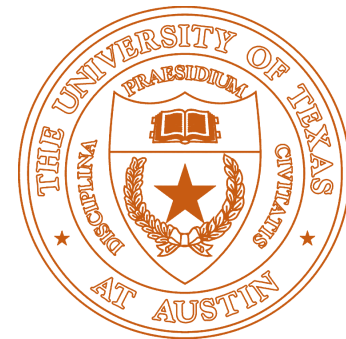
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de Cartagena



- I met Prof. Perruisseau-Carrier during my undergraduate studies, in 2012.
 - He came to UPCT, Spain, to present the on-going research of his group.

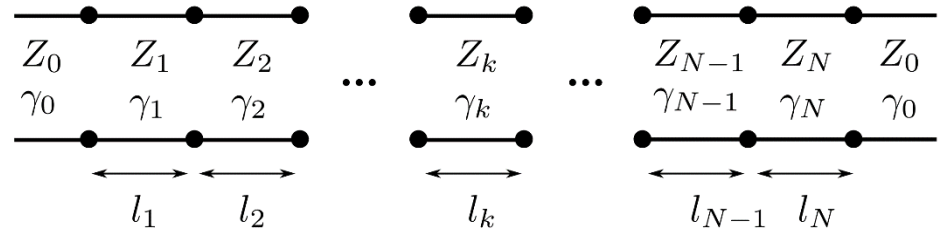
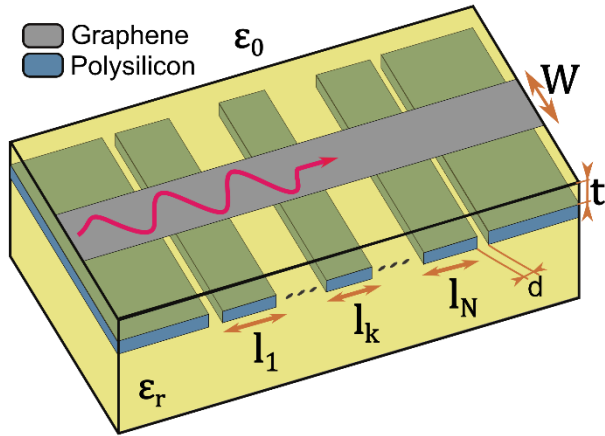


- Later we started a UPCT-EPFL collaboration on graphene plasmonics.

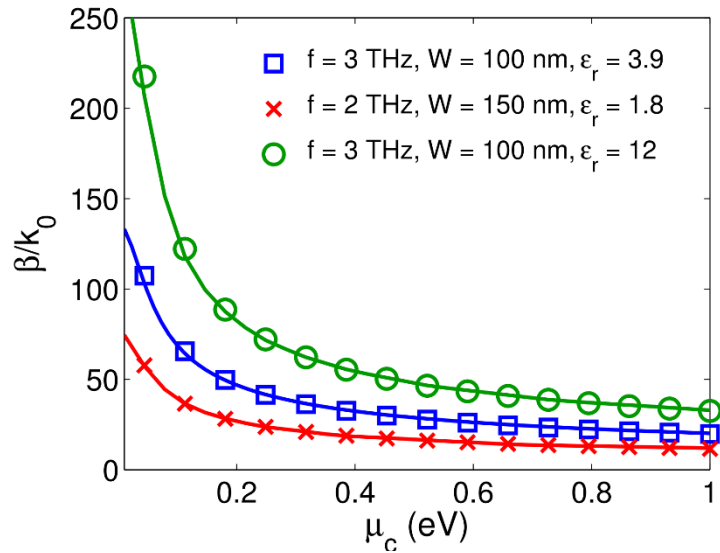
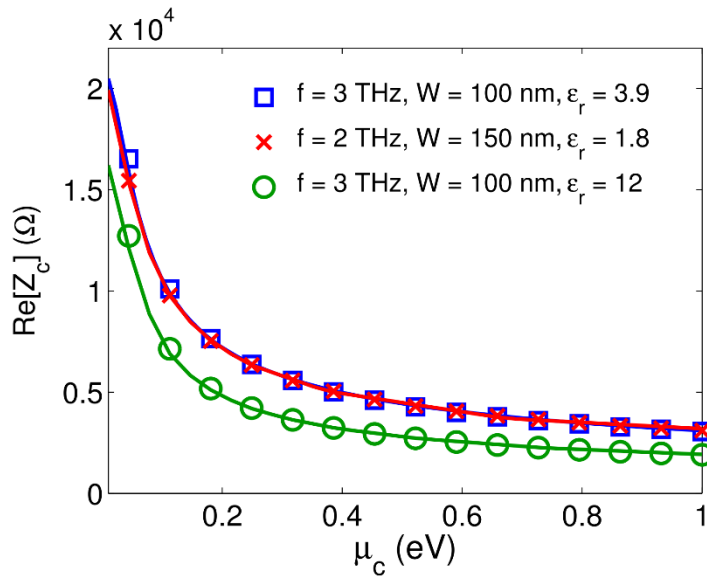
- Reconfigurable Graphene-based Plasmonic Lowpass Filters
- Spatial Dispersion in Graphene Plasmonic Waveguides
- Conclusions

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Reconfigurable LPF In Graphene Nanoribbons



$$\mu_c \approx \hbar v_F \sqrt{\frac{\pi C_{ox} (V_{DC} - V_{Dirac})}{e}}$$

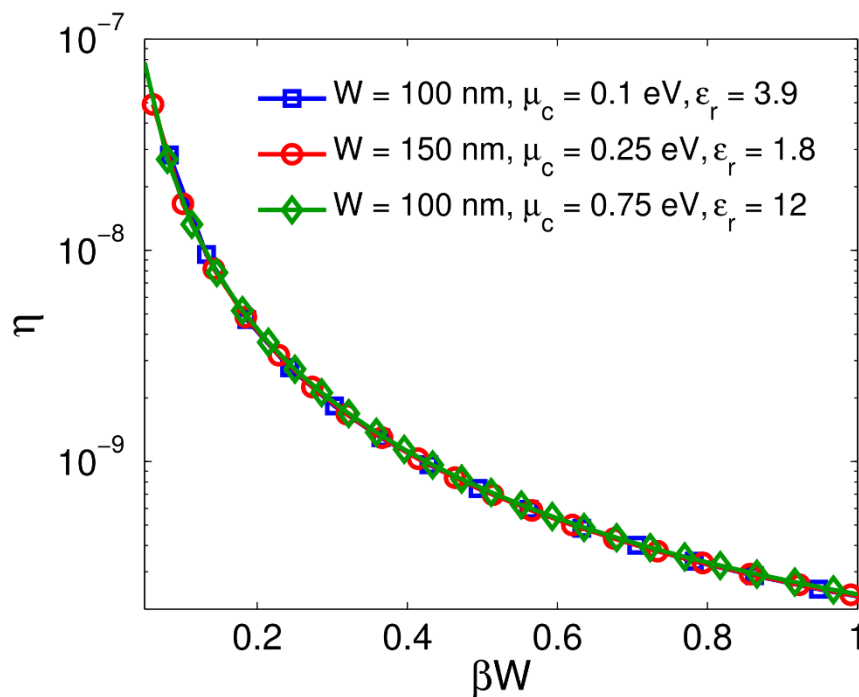
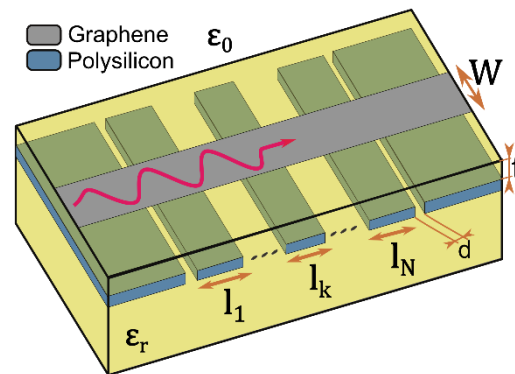


D. Correas-Serrano, J. S. Gomez-Diaz, J. Perruisseau-Carrier and A. Alvarez-Melcon, "Graphene based plasmonic tunable low pass filters in the THz band," IEEE Transactions on Nanotechnology.

Quasi-static Approximation for Modal Dispersion

- Generalization of modal dispersion from a *single simulation*.

$$\eta = \frac{\text{Im}[\sigma(f_\beta)]}{W f_\beta \epsilon_{eff}}$$



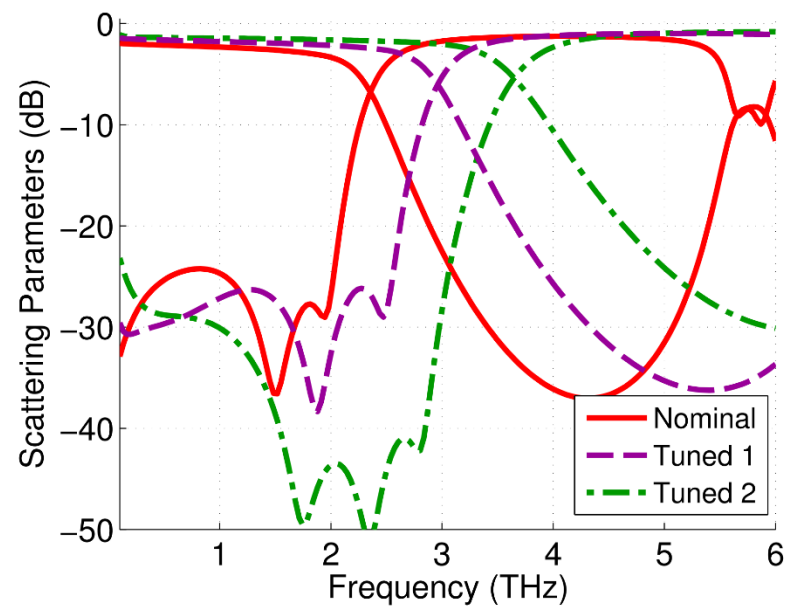
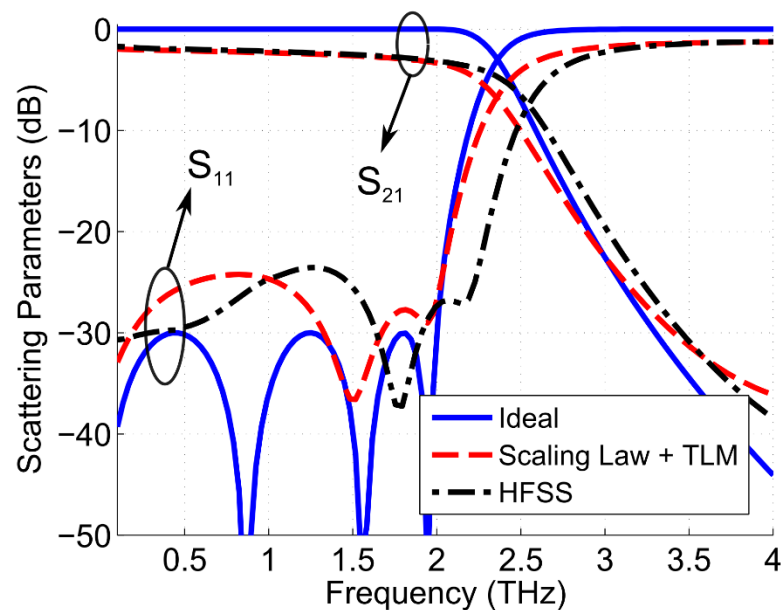
- η vs βW
- Compute η with $(\sigma, f, W, \epsilon_r)$
- Extract $\beta W \rightarrow \beta \rightarrow Z_c$

$$\alpha = \frac{1}{2v_g\tau}$$

- Transfer matrix + TL

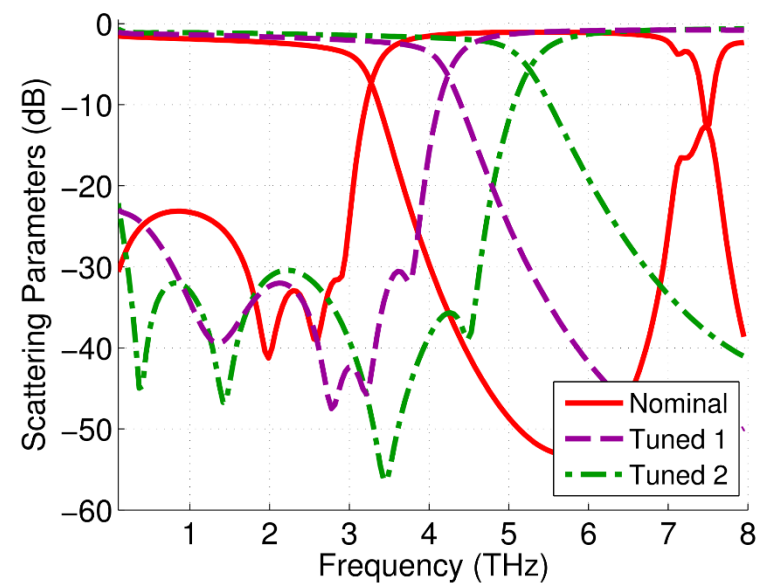
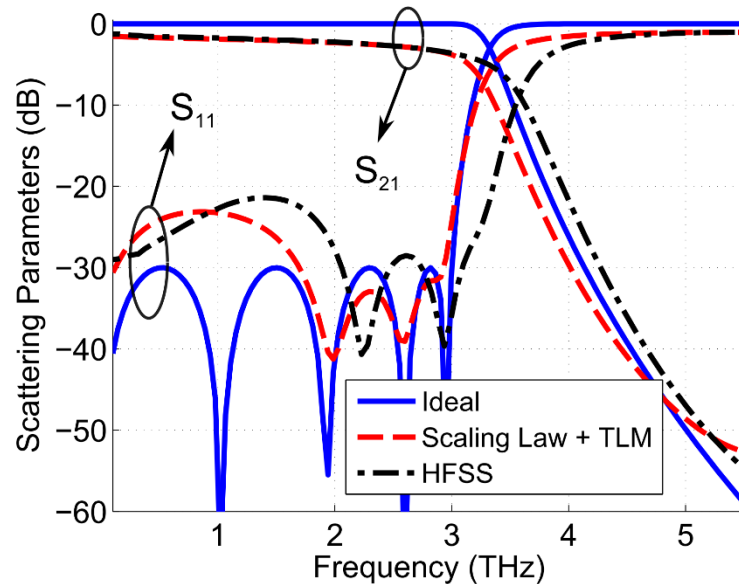
□ $N = 7$, $\theta_c = 37^\circ$, $\epsilon_r = 1.8$, $W = 150 \text{ nm}$, $f_c = 2.3 \text{ THz}$

Section	\bar{Z}	l (nm)	$\mu_{c,nominal}$ (eV)	$\mu_{c,tuned1}$ (eV)	$\mu_{c,tuned2}$ (eV)
Ports	1	500	0.17	0.27	0.41
1,7	1.37	382	0.1	0.15	0.23
2,6	0.57	929	0.51	0.74	1
3,5	2.26	232	0.026	0.06	0.1
4	0.45	1172	0.79	1	1

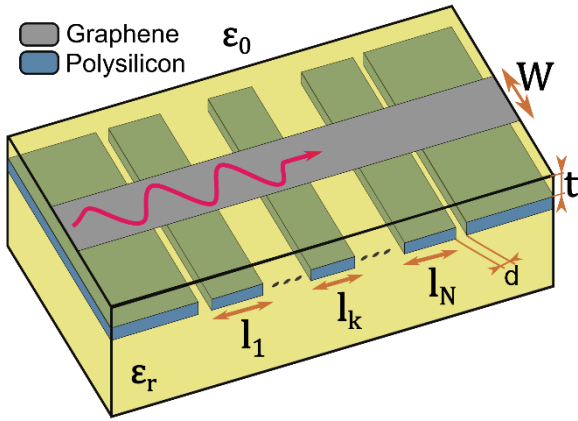


□ $N = 9, \theta_c = 39^\circ, \epsilon_r = 3.9, W = 100 \text{ nm}, f_c = 3.3 \text{ THz}$

Section	\bar{Z}	l (nm)	$\mu_{c,nominal}$ (eV)	$\mu_{c,tuned1}$ (eV)	$\mu_{c,tuned2}$ (eV)
Ports	1	200	0.17	0.35	0.46
1,9	1.36	156	0.1	0.21	0.274
2,8	0.58	367	0.43	0.93	1
3,7	2.24	94	0.035	0.01	0.12
4,6	0.44	483	0.69	1	1
5	2.48	85	0.023	0.078	0.1



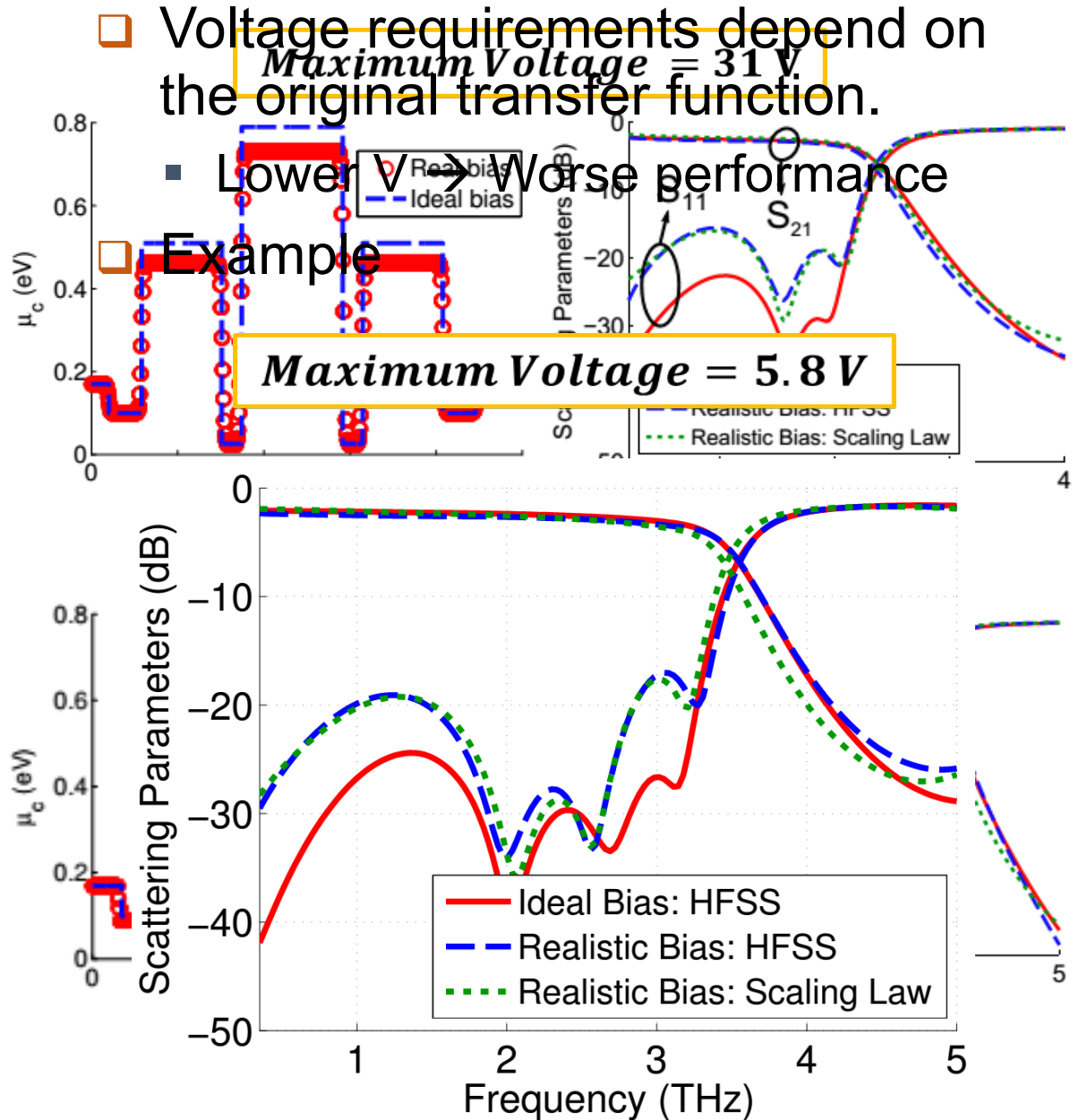
Ideal vs Realistic Electrostatic bias.



$t = 25 \text{ nm}$

$d = 35 \text{ nm}$

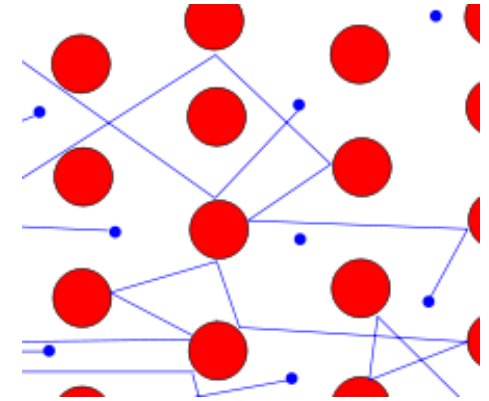
1. Electrostatic
2. Electromagnetic



Outline

- Reconfigurable Graphene-based Plasmonic Lowpass Filters
- **Spatial Dispersion in Graphene Plasmonic Waveguides**
- Conclusions

- Electrons have momentum.
- Electron movement depends of:
 - Electric field in a point
 - Wavevector



$$\mathbf{J}(k, \omega) = \boldsymbol{\sigma}(k, \omega) \mathbf{E}(k, \omega)$$

$\boldsymbol{\sigma}(k, \omega)$ is non-local

Spatial Dispersion in Graphene Sheets

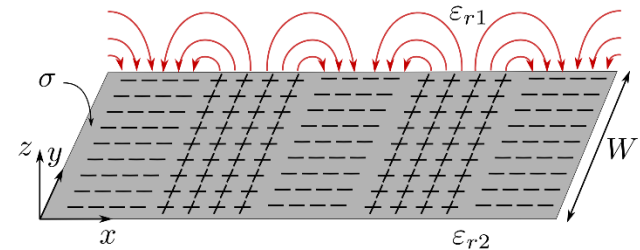
□ $W \gg k_\rho$

$$k_x = k_y$$

$$\sigma_{xx} = \sigma_{yy}$$

$$\sigma_{xy} = \sigma_{yx}$$

$$\underline{\underline{\sigma}} = \begin{pmatrix} \sigma_{xx} & \sigma_{xy} \\ \sigma_{yx} & \sigma_{yy} \end{pmatrix}$$



□ $\sigma(k_\rho)$ & k_ρ

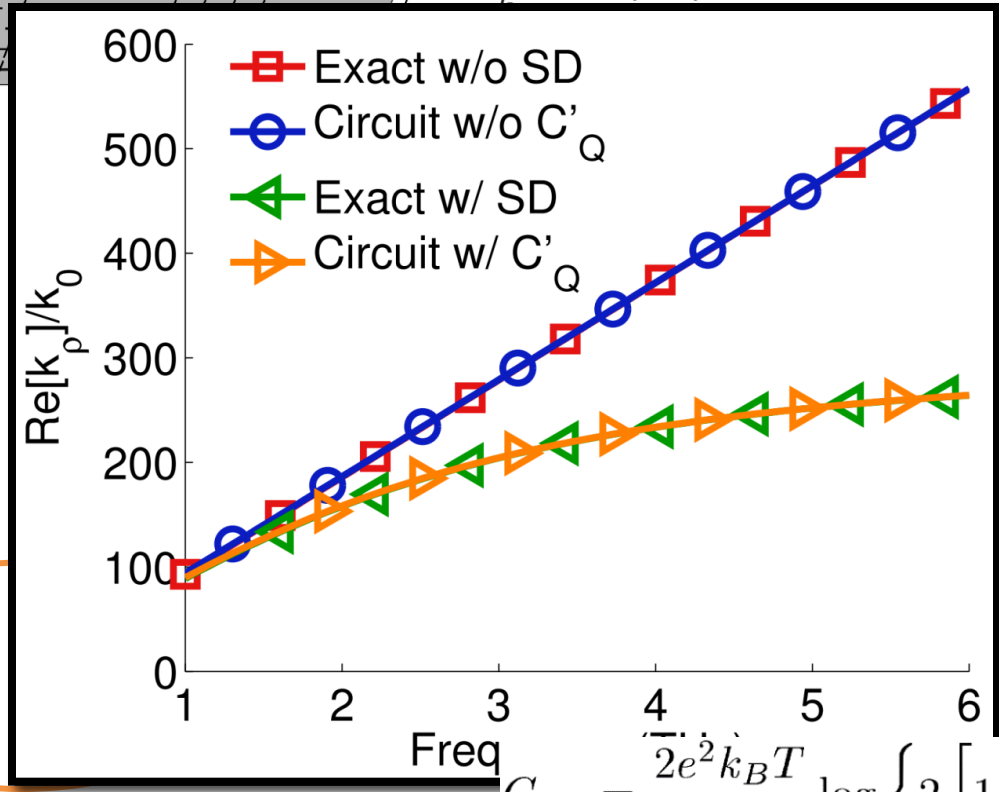
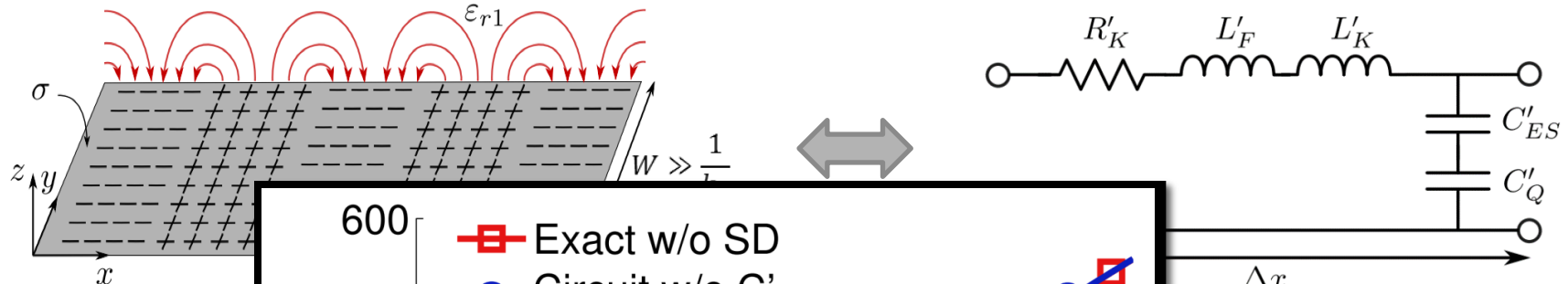
$$\sigma_{xx} = \sigma_{yy} = \gamma \frac{\pi}{\sqrt{(\omega - j\tau^{-1})^2 - v_F^2 k_\rho^2}}$$

$$k_\rho = k_0 \sqrt{\epsilon_r} \sqrt{1 - \frac{4\epsilon_r [(\omega - j\tau^{-1})^2 - k_0^2 \epsilon_r v_F^2]}{\eta_0^2 \gamma^2 \pi^2 - 4v_F^2 k_0^2 \epsilon_r^2}}$$

[1] Lovat, G., Hanson, G. W., Araneo, R., & Burghignoli, P. (2013). Semiclassical spatially dispersive intraband conductivity tensor and quantum capacitance of graphene. *Physical Review B*.

[2] D. Correas-Serrano, J. S. Gomez-Diaz, J. Perruisseau-Carrier and A. Alvarez-Melcon, "Spatially Dispersive Graphene Single and Parallel Plate Waveguides: Analysis and Circuit Model," *IEEE MTT*.

Equivalent Circuit



$C'_Q =$

$$C_{Qs} = \frac{2e^2 k_B T}{\pi \hbar^2 v_F^2} \log \left\{ 2 \left[1 + \cosh \left(\frac{\mu_c}{k_B T} \right) \right] \right\}$$

$\frac{e[1/\sigma]}{W}$

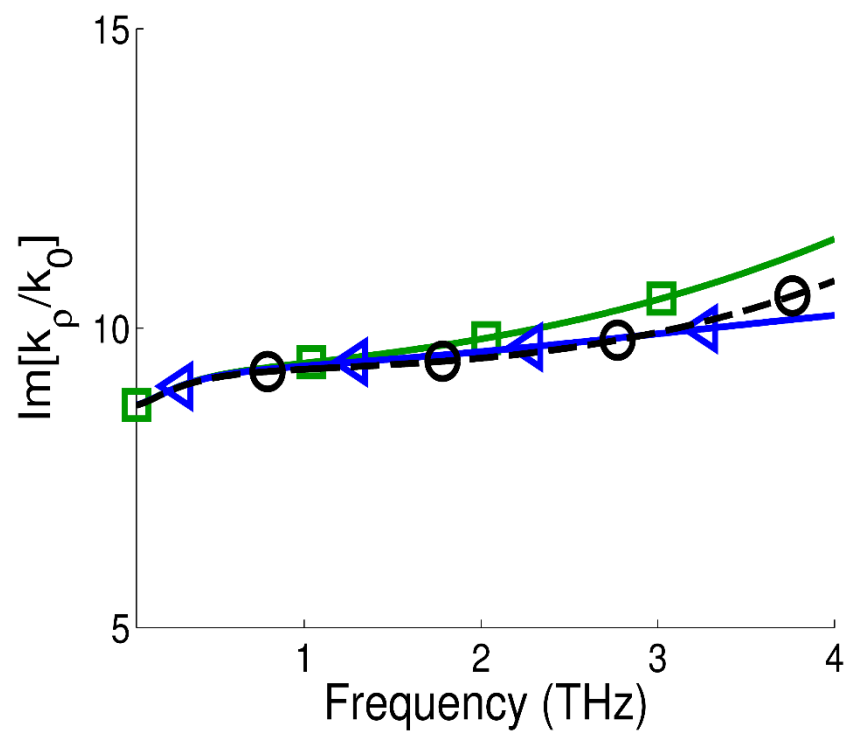
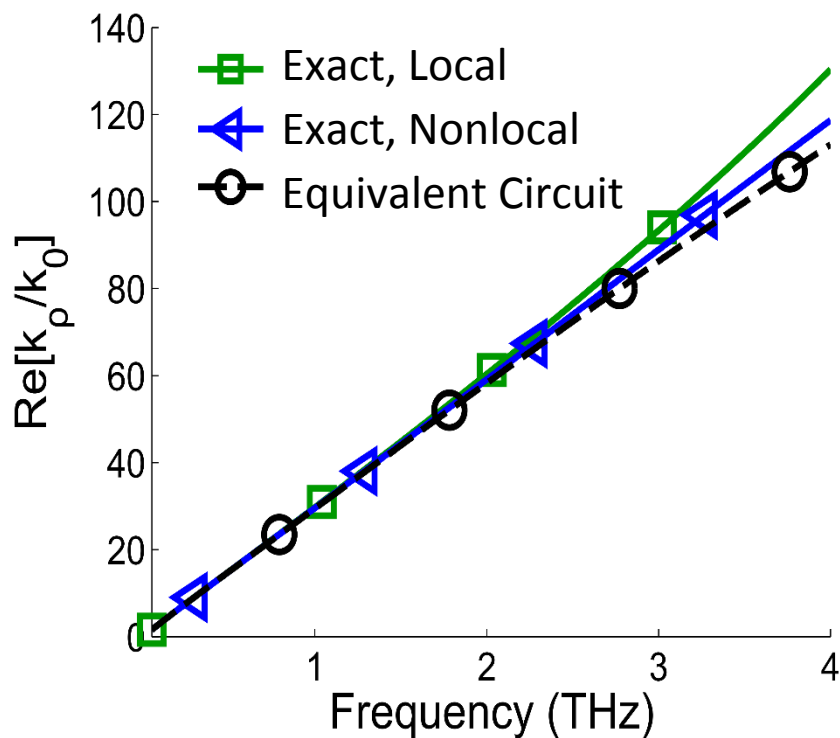
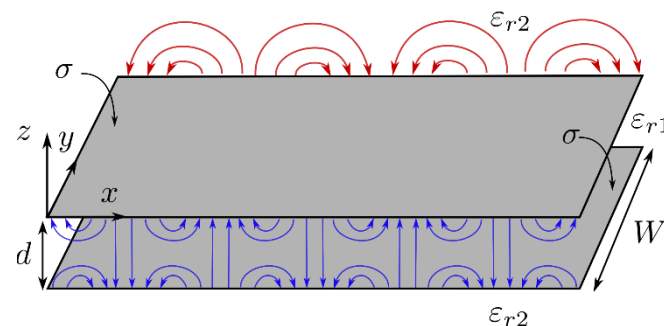
ance of graphene [1]

[1] D. Correas-Serrano, J. S. Gomez-Diaz, J. Perruisseau-Carrier and A. Alvarez-Melcon, "Spatially Dispersive Graphene Single and Parallel Plate Waveguides: Analysis and Circuit Model," IEEE MTT.

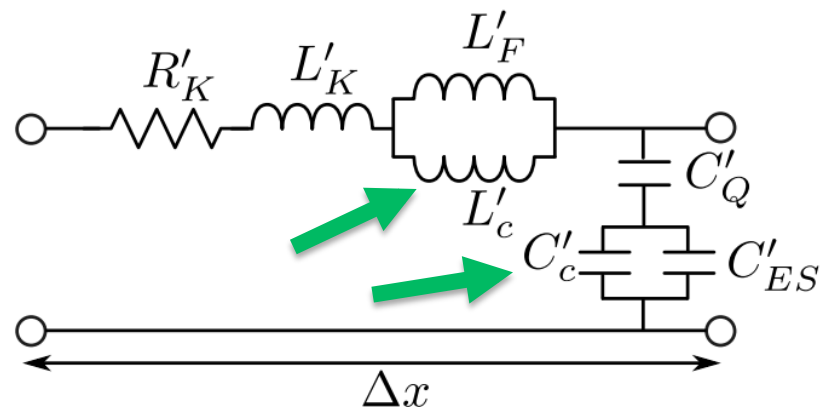
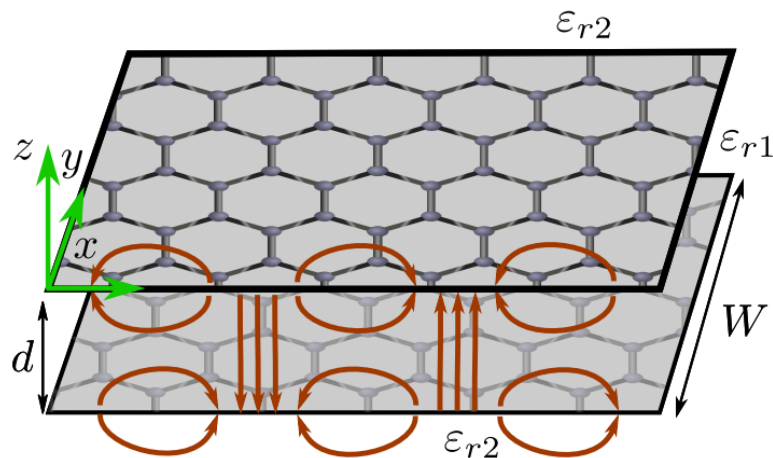
Graphene PPW. Symmetric Mode

- $d \ll \lambda_0 \rightarrow$ Equivalent sheet with:

$$\sigma_{eq} = 2\sigma_{sheet}$$



Graphene PPW. Antisymmetric mode



- Elements for each strip

$$L'_K = 2L'_{K,sheet} \quad R'_K = 2R'_{K,sheet} \quad L'_F = 2L'_{F,sheet}$$

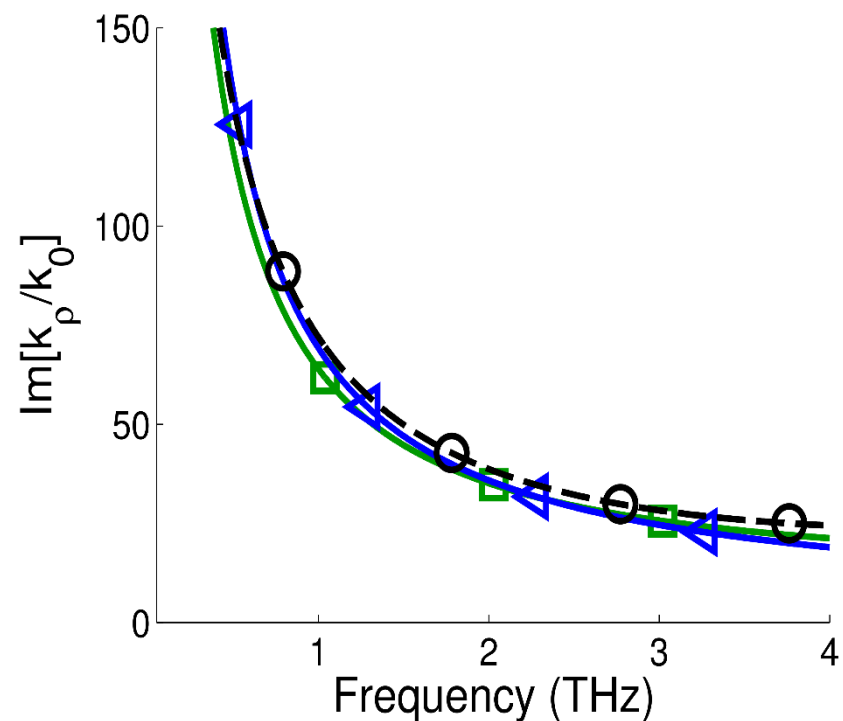
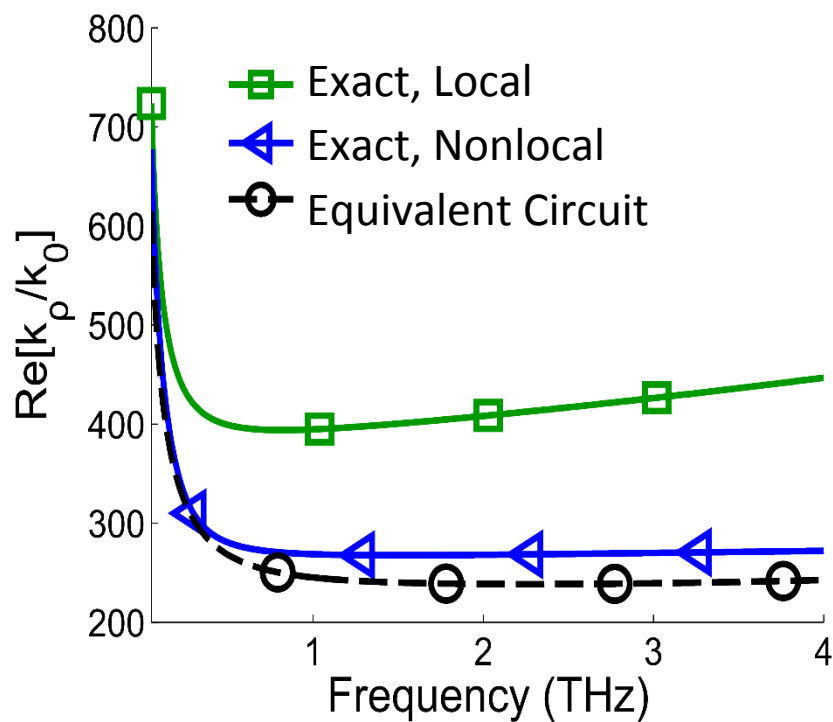
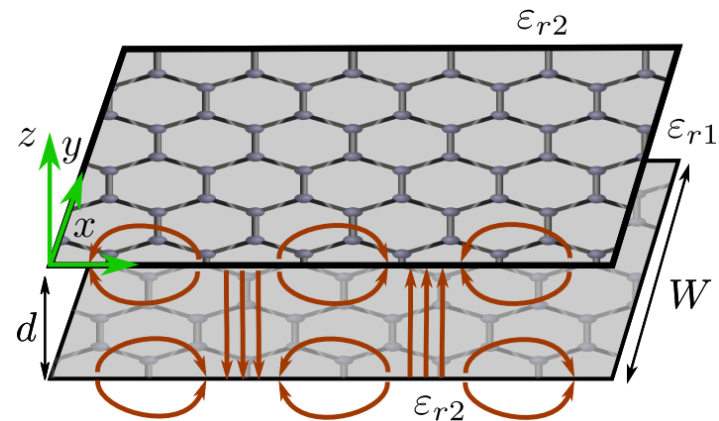
$$C'_{ES} = \frac{1}{2}C'_{ES,sheet} \quad C'_Q = \frac{1}{2}C'_{Q,sheet}$$

- Coupling between strips

$$C'_c = \varepsilon_0 \varepsilon_{r1} \frac{W}{d} \quad L'_c = \mu_0 \frac{d}{W}$$

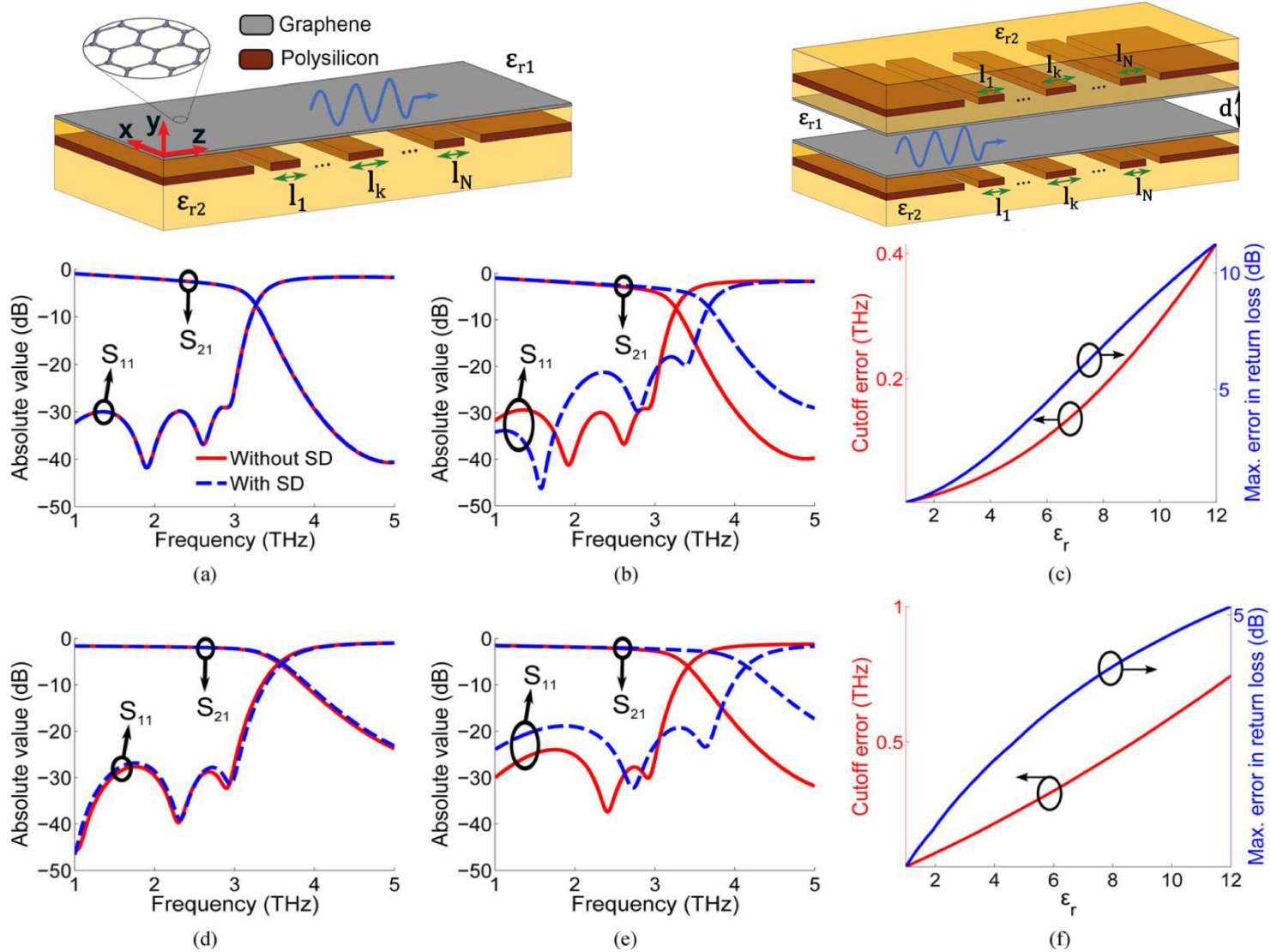
Graphene PPW. Antisymmetric mode

- $W = 100 \mu\text{m}$
- $\epsilon_{r1} = \epsilon_{r2} = 11.9$
- $\tau = 1 \text{ ps}$
- $d = 100 \text{ nm}$



Spatial Dispersion in Plasmonic Devices

- Spatial dispersion may impact device performance



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- ❑ I have reviewed my collaboration with Professor Julien Perruisseau-Carrier.
 - Only a small part of his vast multidisciplinary research
- ❑ THz plasmonic filters
 - Dynamic control
 - Efficient design technique
- ❑ Spatial dispersion in graphene
 - Equivalent circuits
 - Related to quantum capacitance

